



pt LUT assignment for CSCTF

By Anna Kropivnitskaya

- One bug is fixed
- Some results of the pt LUTs test:
ptLUT was created (Anna's method)
and was compared with previous one (Darin's method)
- Conclusion

Bug is fixed

We are interested in finding of the minimum Likelihood: $L = \min$

1. I've solved equation $\partial \ln(L) / \partial p_T = 0$ numerically
2. I didn't check that $\partial^2 \ln(L) / \partial^2 p_T > 0$

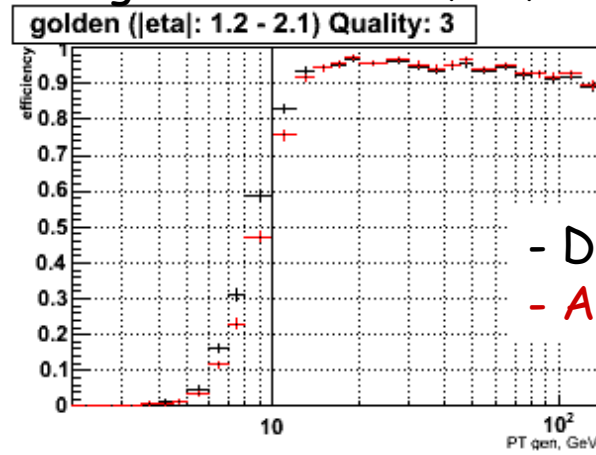
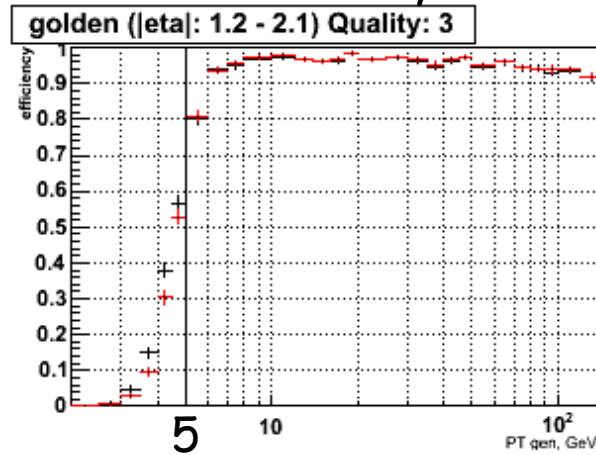
When I've check 2nd derivative than a lot of track with low generated PT become reconstructed with low PT (not high)

See next slides with update efficiency and resolution (new ptLUT)

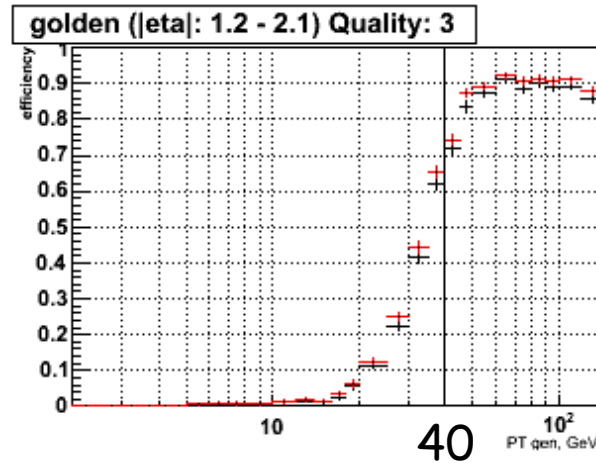
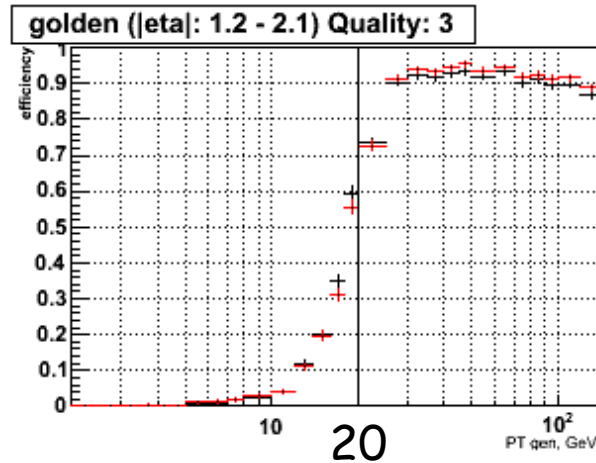
Pt efficiency for Quality = 3 and $1.2 < |\eta| < 2.1$

$$\varepsilon_{threshold}(pt_{gen}, \eta_{gen}) = \frac{N^{gen\&\&rec}(\eta_{gen\&\&rec}, pt_{gen} \text{ with } pt^{rec} > pt_{threshold})}{N_{gen}(pt_{gen}, \eta_{gen})}$$

Calculate efficiency for the following thresholds: 5, 10, 20 and 40 GeV

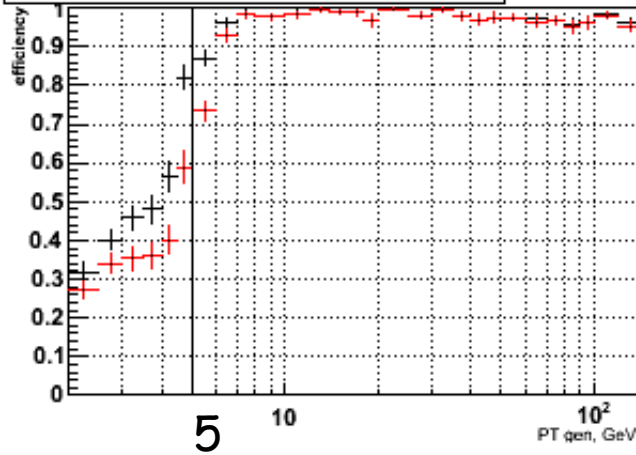


- Darin's method
- Anna's method

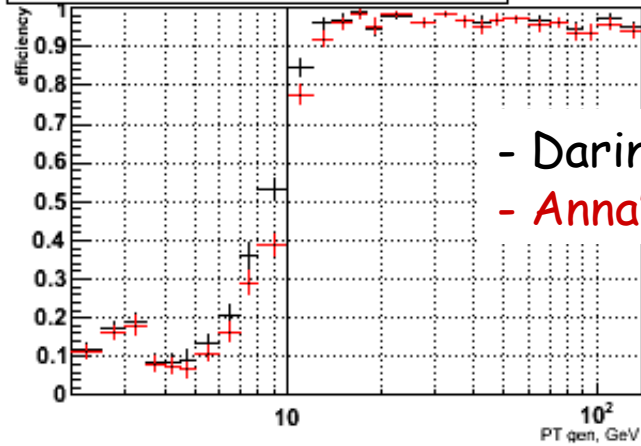


Pt efficiency for Quality = 2 and $1.2 < |\eta| < 2.1$

golden ($|\eta|: 1.2 - 2.1$) Quality: 2

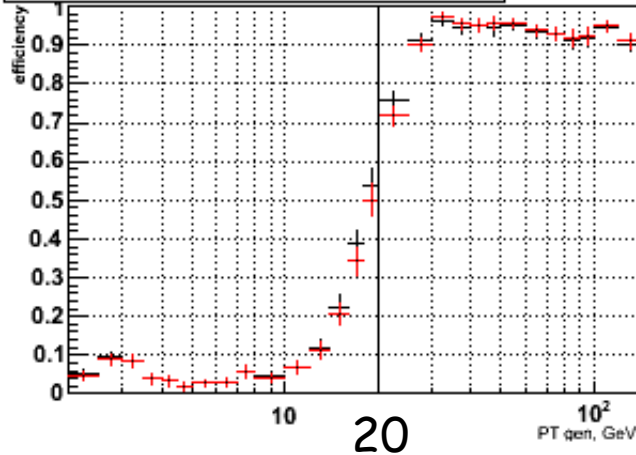


golden ($|\eta|: 1.2 - 2.1$) Quality: 2

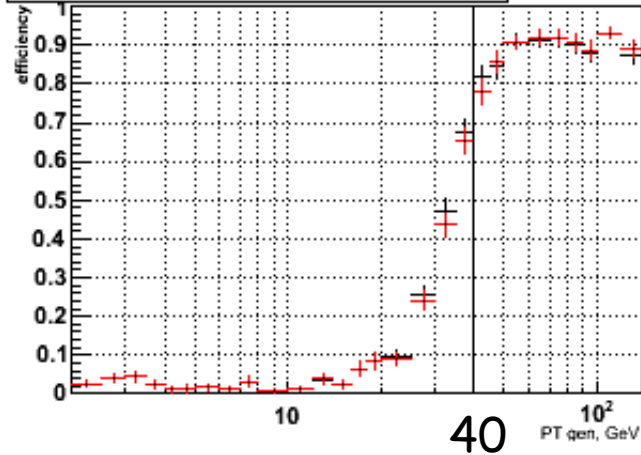


- Darin's method
- Anna's method

golden ($|\eta|: 1.2 - 2.1$) Quality: 2

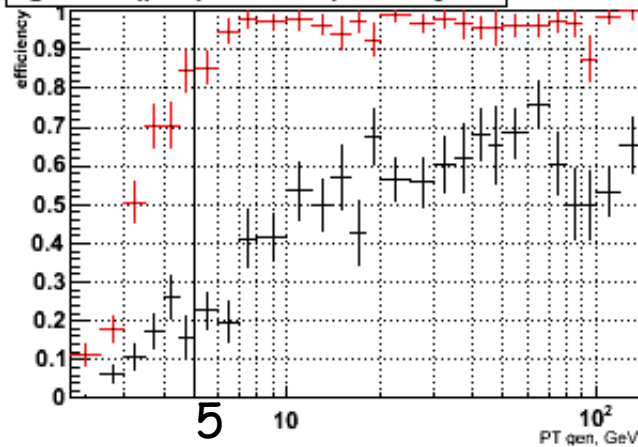


golden ($|\eta|: 1.2 - 2.1$) Quality: 2

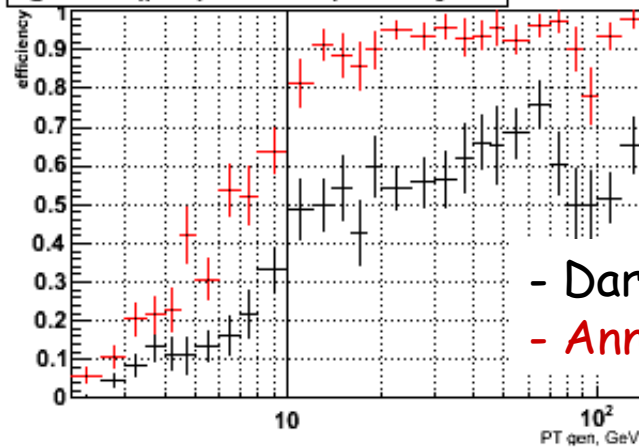


Pt efficiency for Quality = 1 and $1.2 < |\eta| < 2.1$

golden ($|\eta|$: 1.2 - 2.1) Quality: 1

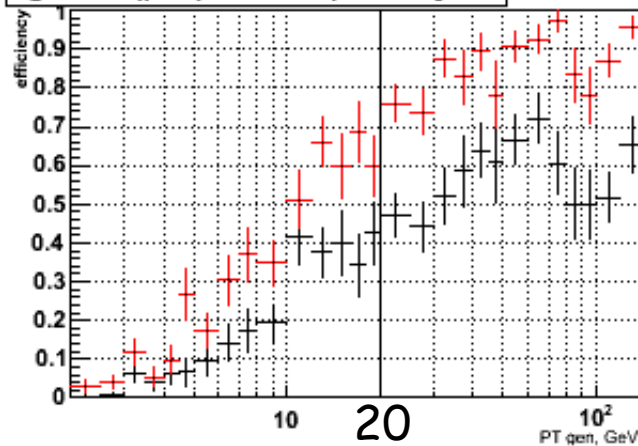


golden ($|\eta|$: 1.2 - 2.1) Quality: 1

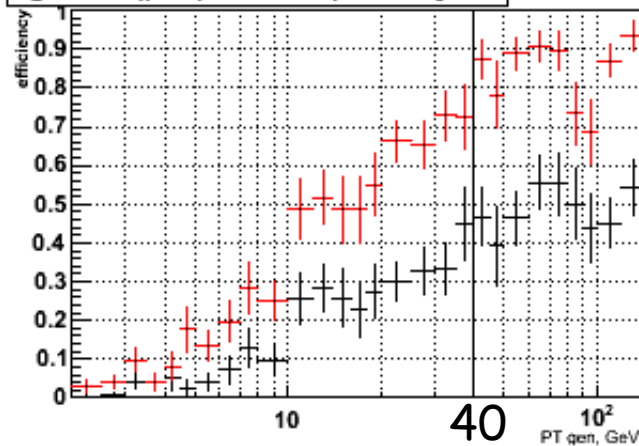


- Darin's method
- Anna's method

golden ($|\eta|$: 1.2 - 2.1) Quality: 1



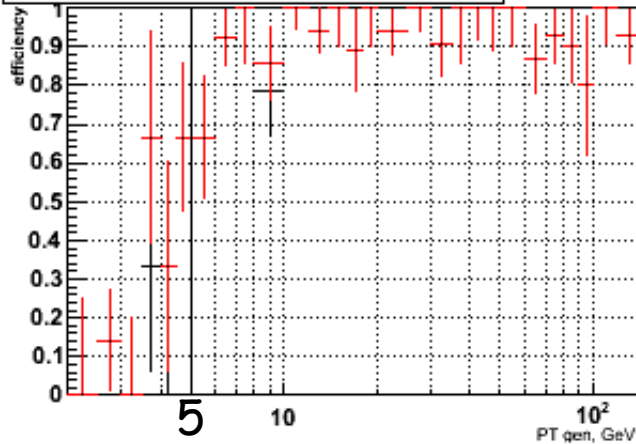
golden ($|\eta|$: 1.2 - 2.1) Quality: 1



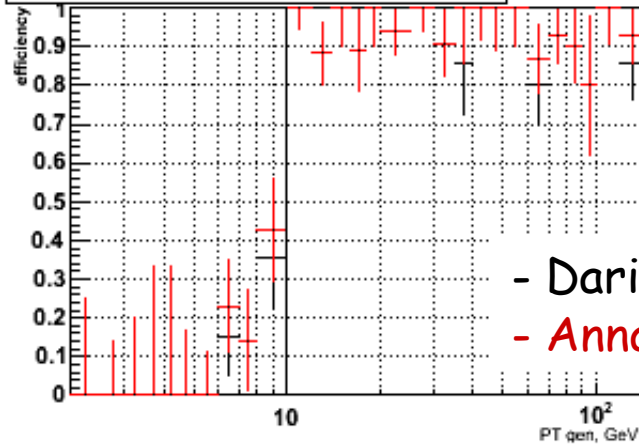
Anna's method works better?

Pt efficiency for Quality = 3 and $|\eta| > 2.1$

golden ($|\eta|: 1.2 - 2.1$) Quality: 13

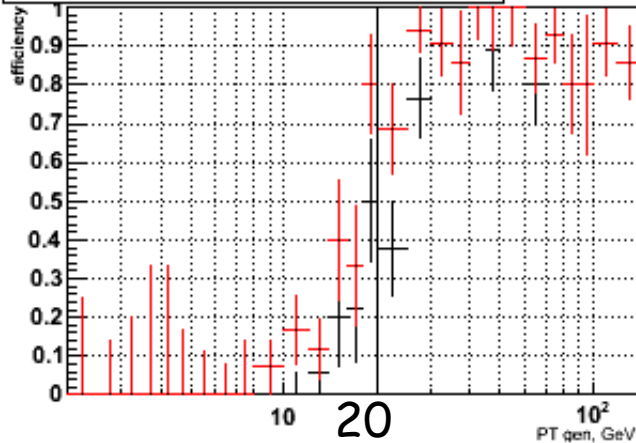


golden ($|\eta|: 1.2 - 2.1$) Quality: 13

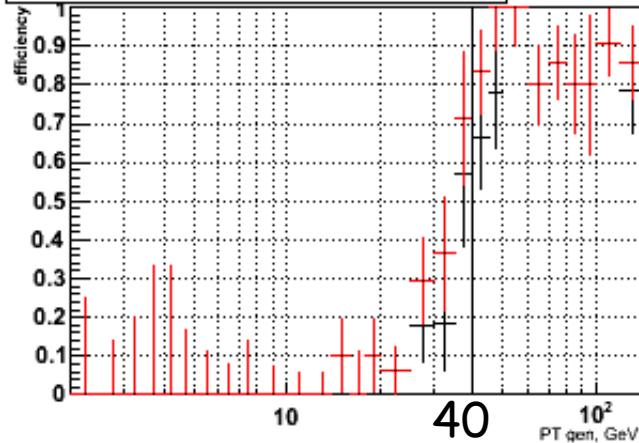


- Darin's method
- Anna's method

golden ($|\eta|: 1.2 - 2.1$) Quality: 13



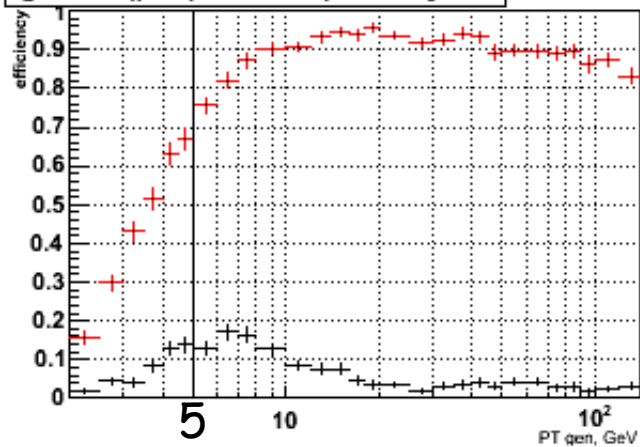
golden ($|\eta|: 1.2 - 2.1$) Quality: 13



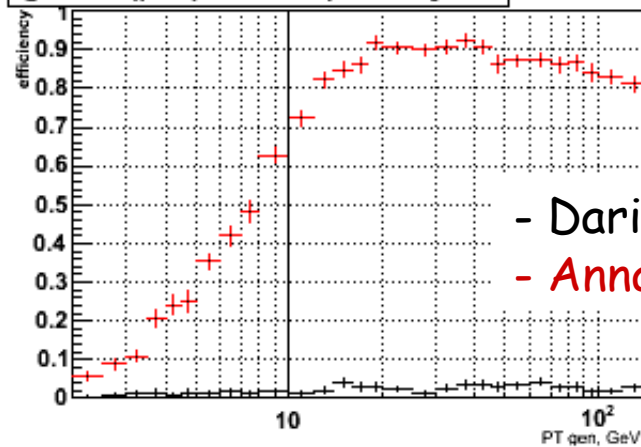
For high eta range Quality = 2 is not defined (no such tracks)

Pt efficiency for Quality = 1 and $|\eta| > 2.1$

golden ($|\eta|: 1.2 - 2.1$) Quality: 11

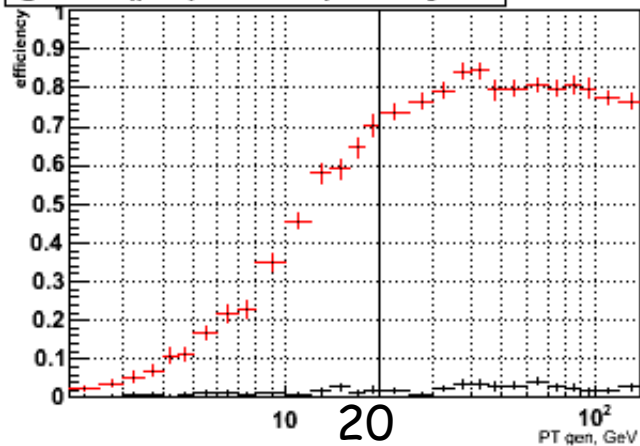


golden ($|\eta|: 1.2 - 2.1$) Quality: 11

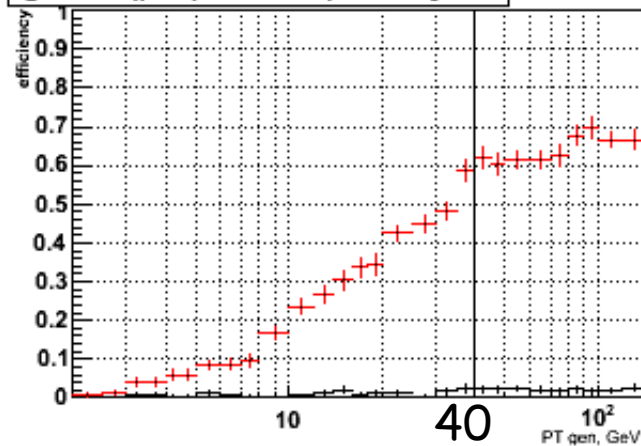


- Darin's method
- Anna's method

golden ($|\eta|: 1.2 - 2.1$) Quality: 11

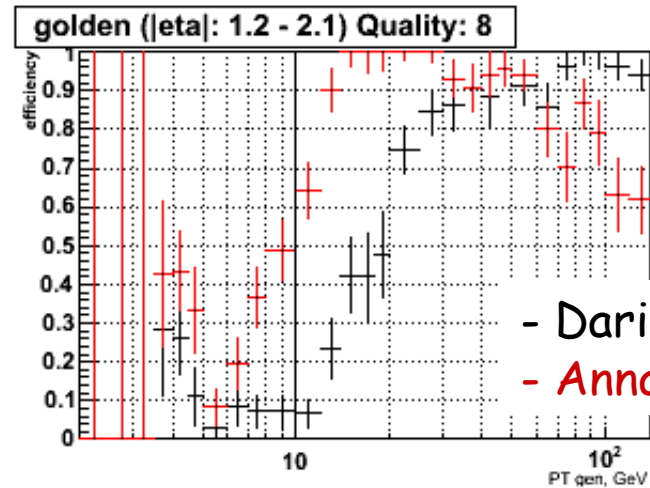
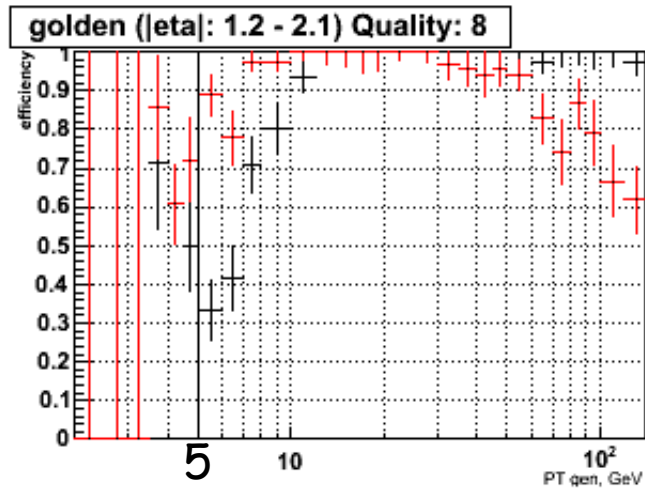


golden ($|\eta|: 1.2 - 2.1$) Quality: 11

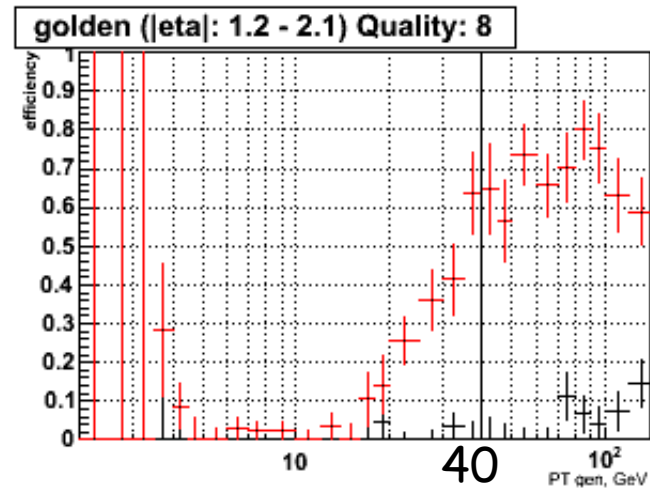
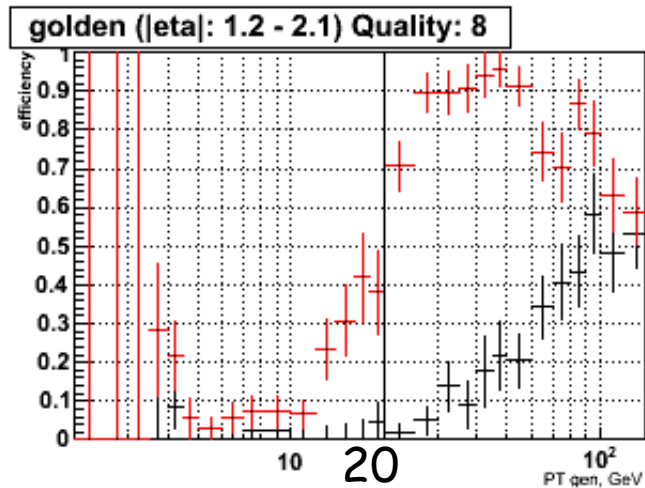


Anna's method works better?

Pt efficiency for Quality = 3 and $|\eta| < 1.2$



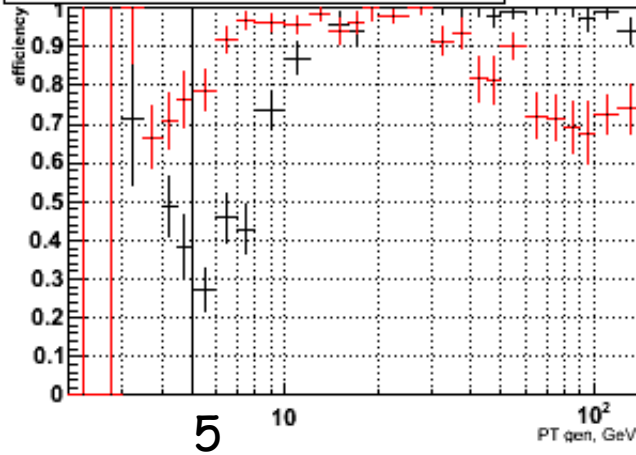
- Darin's method
- Anna's method



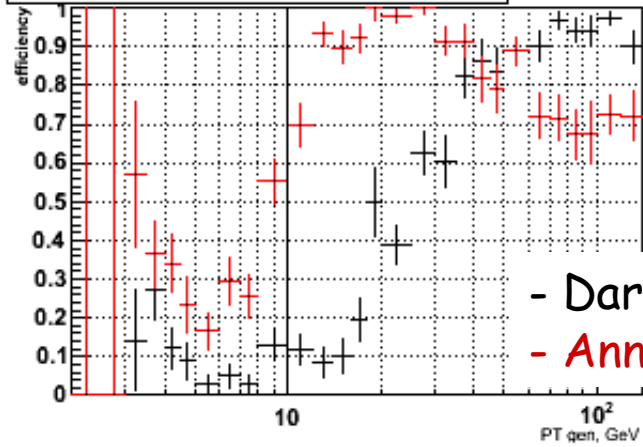
Problem with high PT muons?

Pt efficiency for Quality = 2 and $|\eta| < 1.2$

golden ($|\eta|$: 1.2 - 2.1) Quality: 7

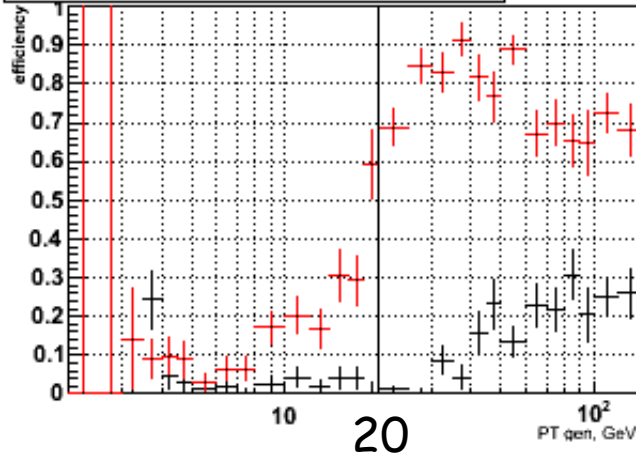


golden ($|\eta|$: 1.2 - 2.1) Quality: 7

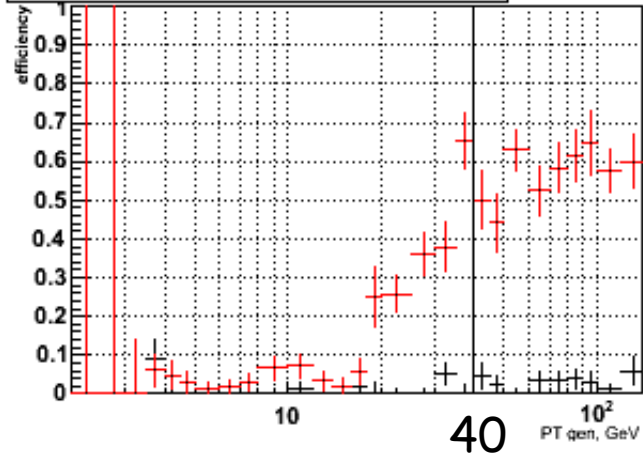


- Darin's method
- Anna's method

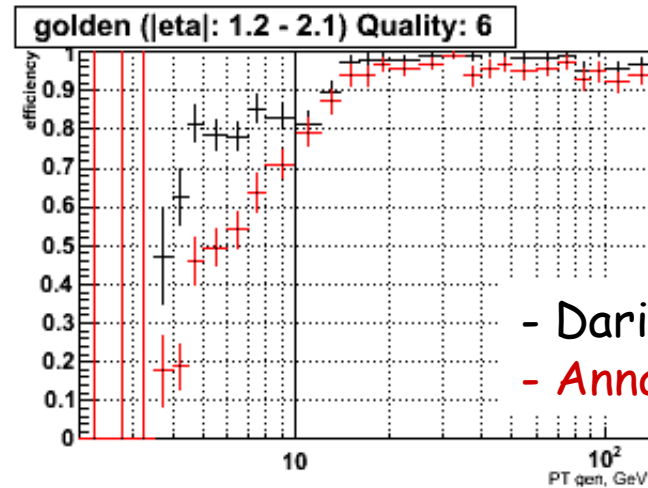
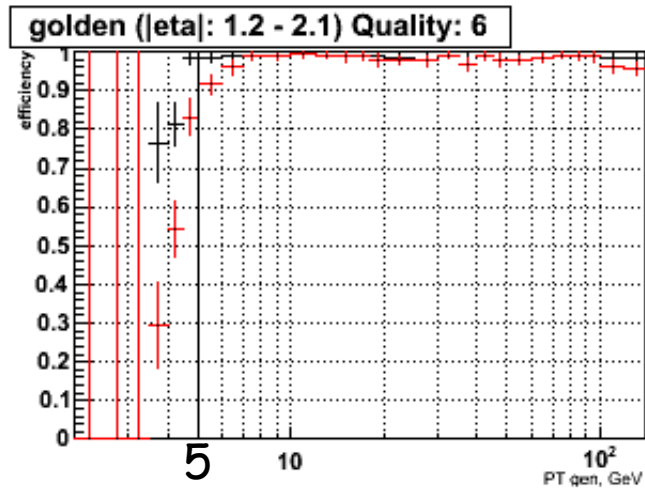
golden ($|\eta|$: 1.2 - 2.1) Quality: 7



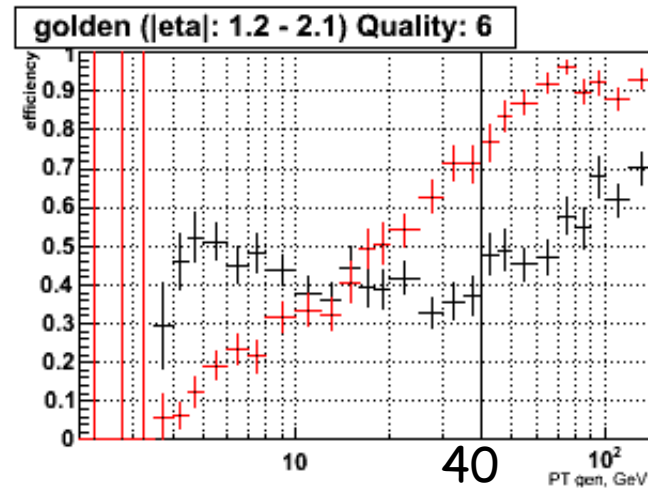
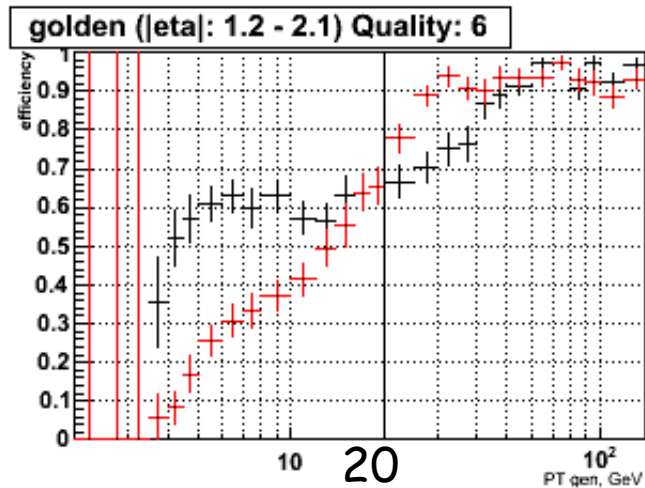
golden ($|\eta|$: 1.2 - 2.1) Quality: 7



Pt efficiency for Quality = 1 and $|\eta| < 1.2$

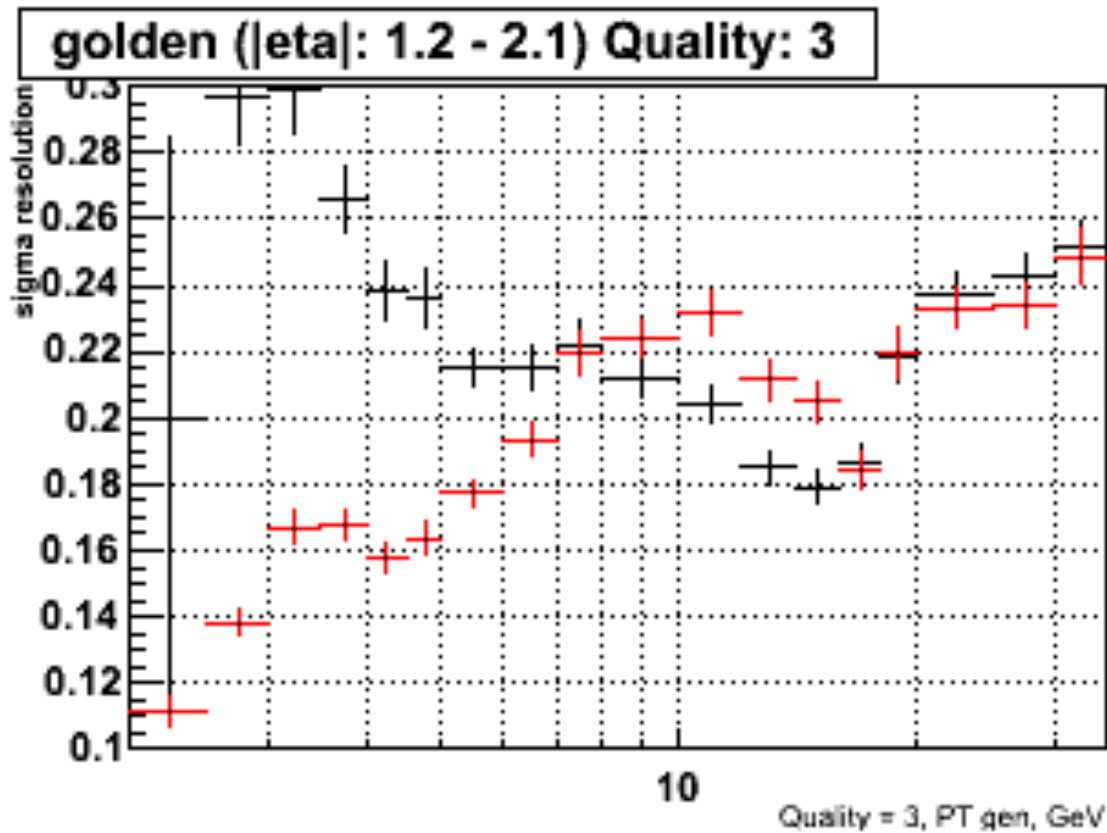


- Darin's method
- Anna's method



Sigma of Resolution $(1/p_T - 1/p_{Tgen}) * p_{Tgen}$

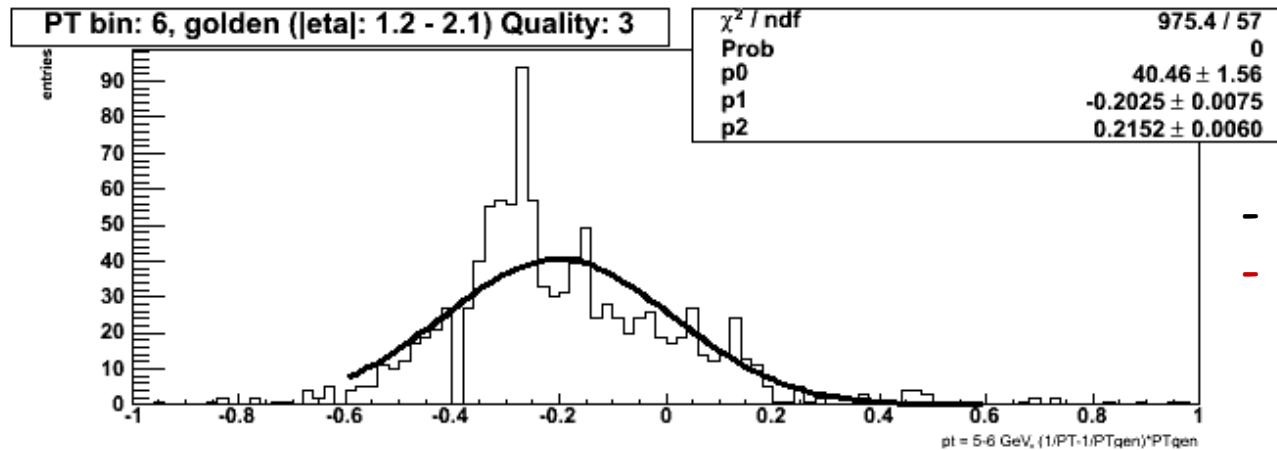
Quality = 3 and $1.2 < |\eta| < 2.1$



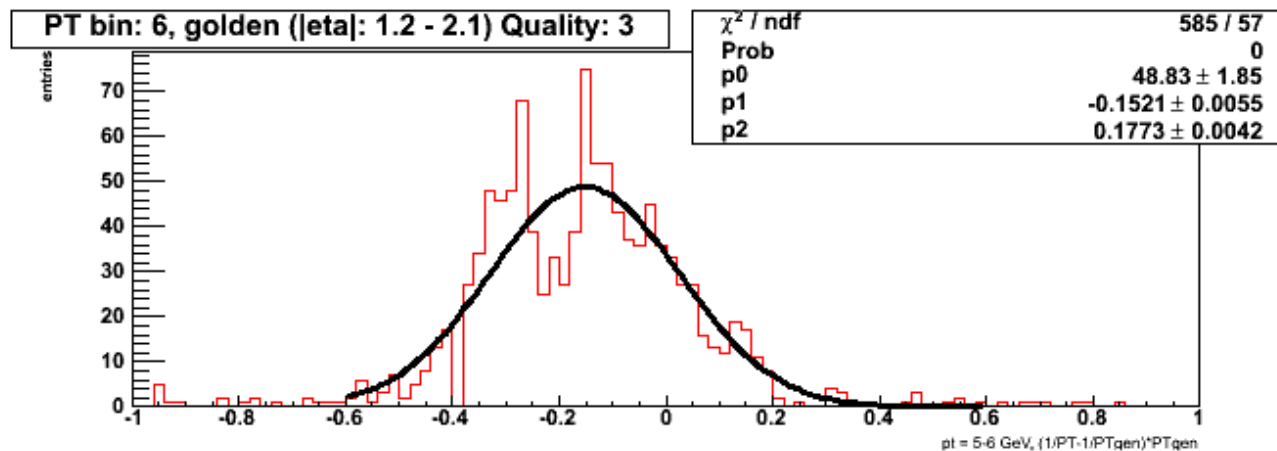
- Darin's method
- Anna's method

Resolution $(1/pT - 1/pT_{gen}) * pT_{gen}$ for $1.2 < |\eta| < 2.1$, 1-2-3

$5 < pT_{gen} < 6 \text{ GeV}$



- Darin's method
- Anna's method

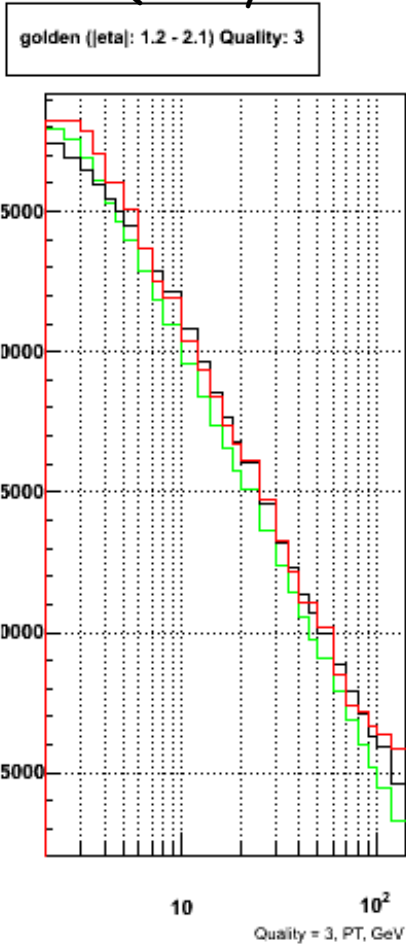


In Anna's method low pt muons assign to the low pt muons with better resolution (peak near -1 is disappeared)

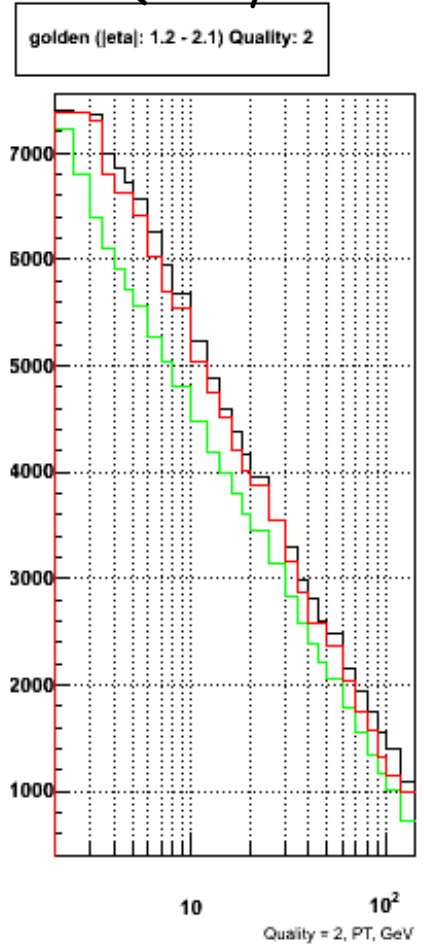
Pt Rate for Gen and Rec Muons

This rate is plotted only for $1.2 < |\eta| < 2.1$

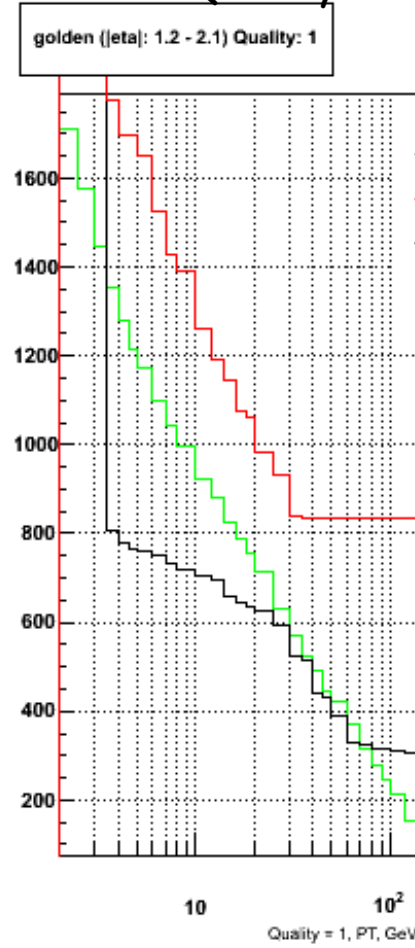
Quality = 3



Quality = 2



Quality = 1



- gen
- Rec Anna's method
- Rec Darin's method

Conclusion

What was done:

- comparison between the pt LUT (Anna's method) and pt LUT (Darin's method) => **some improvements are observed for some qualities**

To do list:

- ✓ **try investigate other improvements**

Backup slides

Likelihood for 2 and 3 Station Methods

$$L_{2 \text{ Station}} = \frac{1}{\sqrt{2\pi}\sigma_{12}} \times \exp\left\{-\frac{(\Delta\phi_{12} - \mu_{12})^2}{2\sigma_{12}^2}\right\}$$

$$L_{3 \text{ Station}} = \frac{1}{2\pi\sigma_{12}\sigma_{23}\sqrt{1-\rho^2}} \times \exp\left\{-\frac{1}{2(1-\rho^2)} \left[\frac{(\Delta\phi_{12} - \mu_{12})^2}{\sigma_{12}^2} - \frac{2\rho(\Delta\phi_{12} - \mu_{12})(\Delta\phi_{23} - \mu_{23})}{\sigma_{12}\sigma_{23}} + \frac{(\Delta\phi_{23} - \mu_{23})^2}{\sigma_{23}^2} \right]\right\}$$

- Mean values μ_{12} and μ_{23} and their sigma σ_{12} and σ_{23} , extracted from the Gauss fit of the $\Delta\phi_{12}$ and $\Delta\phi_{23}$ distributions correspondingly, are parameterized with smooth functions:

$$\mu = \frac{a_0}{(pt - a_3)} + \frac{a_1}{(pt - a_3)^2} + a_2; \quad \sigma = \frac{b_0}{pt} + \frac{b_1}{pt^2} + b_3$$

- Correlation ρ between $\Delta\phi_{12}$ and $\Delta\phi_{23}$ is calculated and parameterized with smooth function:

$$\rho = (c_0 + c_1 \log pt + c_2 \log^2 pt + c_3 \log^3 pt) \times \exp\{-c_4 \log pt\}$$

- pt is found solving equation: $\partial \ln(L) / \partial pt = 0$ numerically.
- $pt = (\text{maximum solution of this equation}) * 1.2$
1.2 (20%) correction is taking to have efficiency $> 90\%$ in CSCTF triggering

Possible track combinations

All mean values and sigmas are described for following $\Delta\phi$ combinations:

Q	LCT in Station	Possible $ \eta $ range $\eta_{low} - \eta_{high}$
1	1-2	1.0 - 2.1
2	1-3	1.1 - 2.1
3	1-4	1.8 - 2.1
4	2-3	1.1 - 2.4
5	2-4	1.8 - 2.4
6	3-4	1.8 - 2.4
7	DT-1	0.9 - 1.2
8	DT-2	1.0 - 1.2
9	DT-3	1.1 - 1.2
11	1-2-3	1.1 - 2.1
12	1-2-4	1.8 - 2.1
13	1-3-4	1.8 - 2.1
14	2-3-4	1.8 - 2.4
22	DT-1-2	1.0 - 1.2
23	DT-1-3	1.1 - 1.2
24	DT-2-3	1.1 - 1.2

If ($\eta < \eta_{low}$) take parameterization of μ and σ from η_{low} bin for ptLUTs

If ($\eta > \eta_{high}$) take parameterization of μ and σ from η_{high} bin for ptLUTs