

EFT Hands-on Lectures

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What you need to have installed

follow instructions on the [TWiki](#)

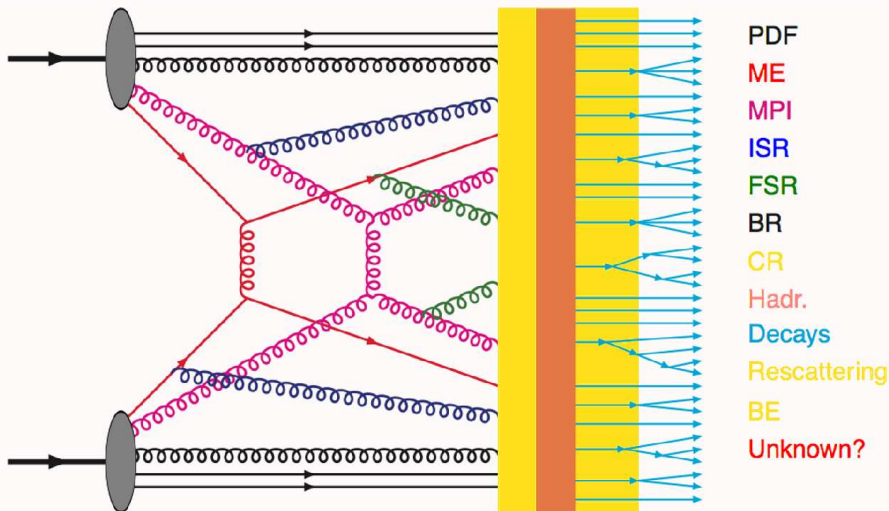
For TODAY

- ▶ Mathematica
- ▶ FeynRules

For TOMORROW

- ▶ VirtualBox
- ▶ the `Delphes2020.vdi` virtual machine

The structure of a collider event



from T.Sjöstrand's slides, 2018

From model to LHC signal



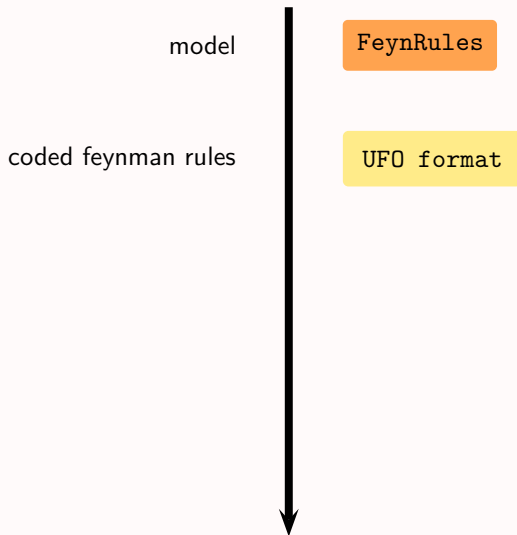
From model to LHC signal

model

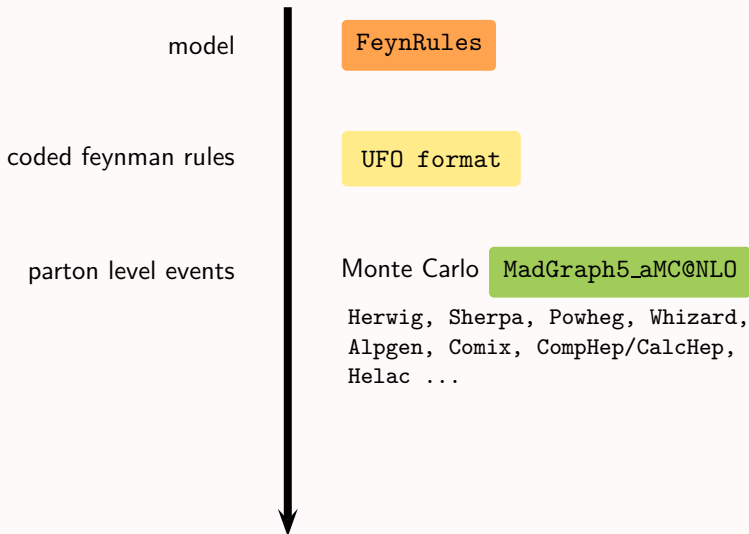
FeynRules



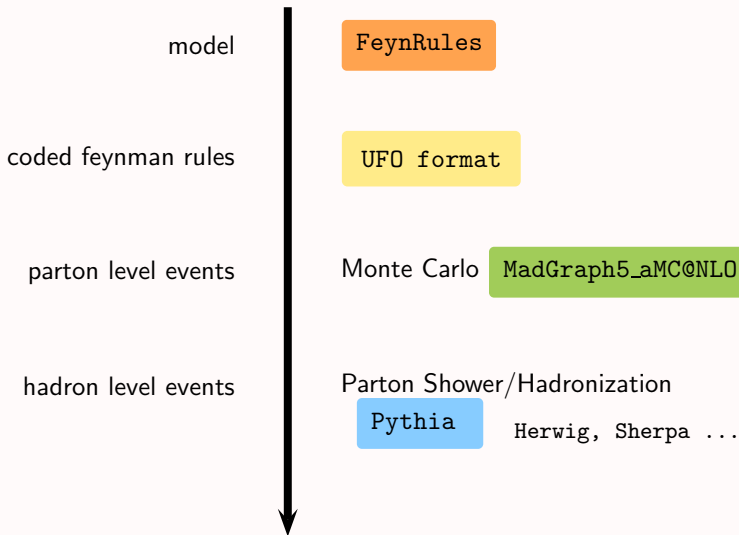
From model to LHC signal



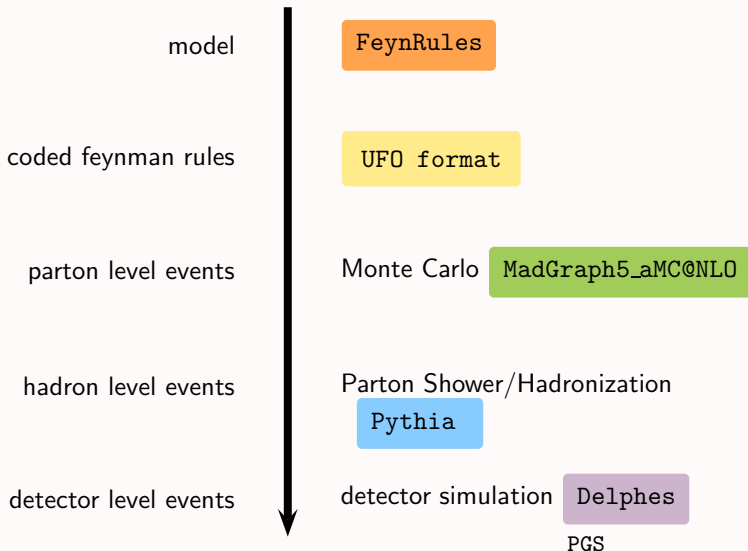
From model to LHC signal



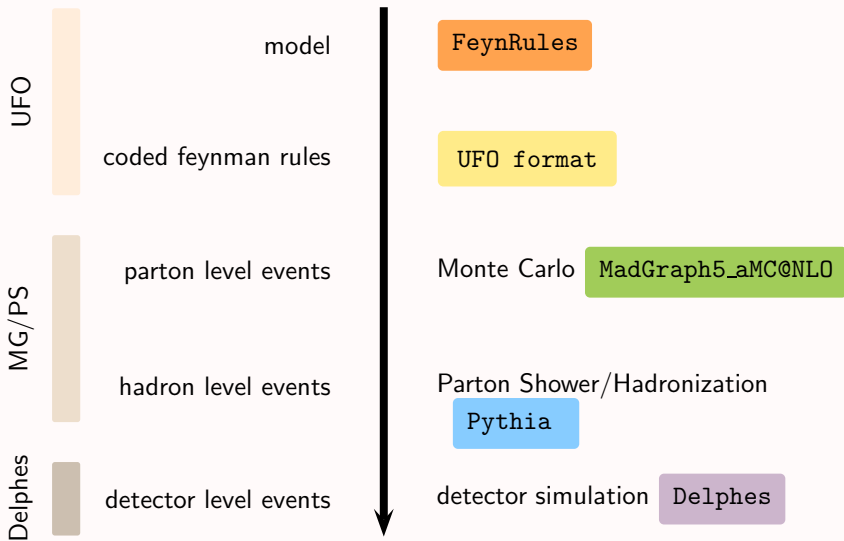
From model to LHC signal



From model to LHC signal



From model to LHC signal



Physics project for these lectures

Check the `sheet` on the TWiki !

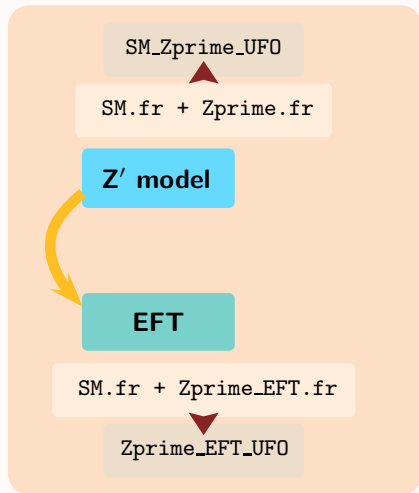
SM_Zprime_UFO

SM.fr + Zprime.fr

Z' model

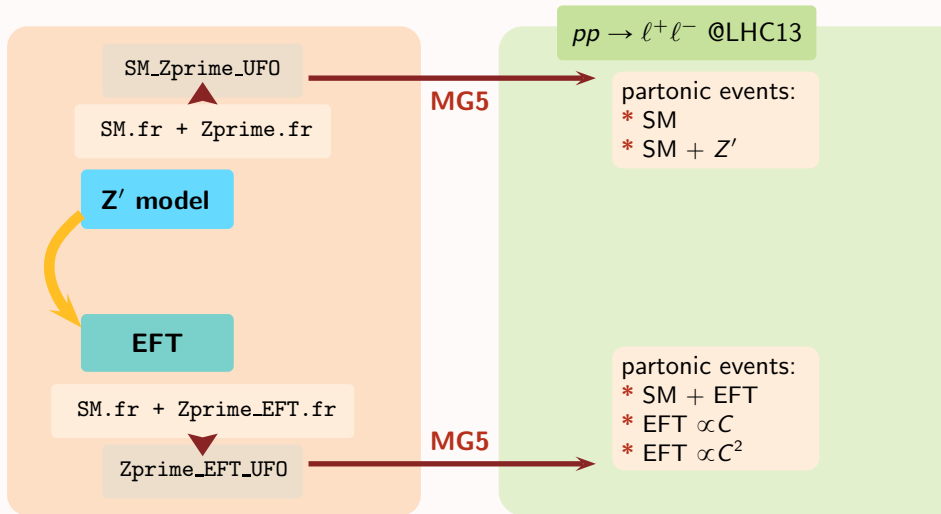
Physics project for these lectures

Check the `sheet` on the TWiki !



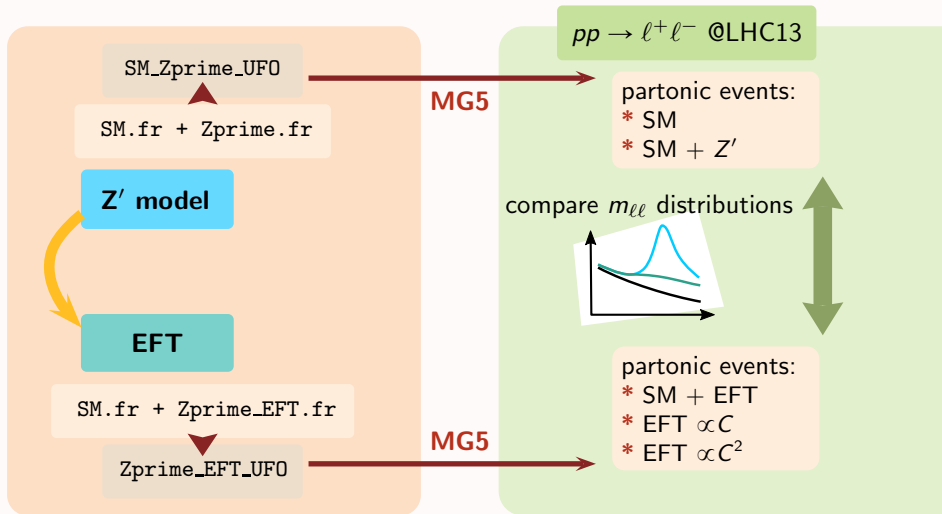
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Physics project for these lectures

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Physics project for these lectures

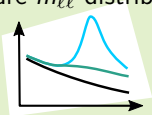
Check the [sheet on the TWiki](#) !

$$pp \rightarrow l^+ l^- \text{ @LHC13}$$

partonic events:

- * SM
- * SM + Z'

compare $m_{\ell\ell}$ distributions

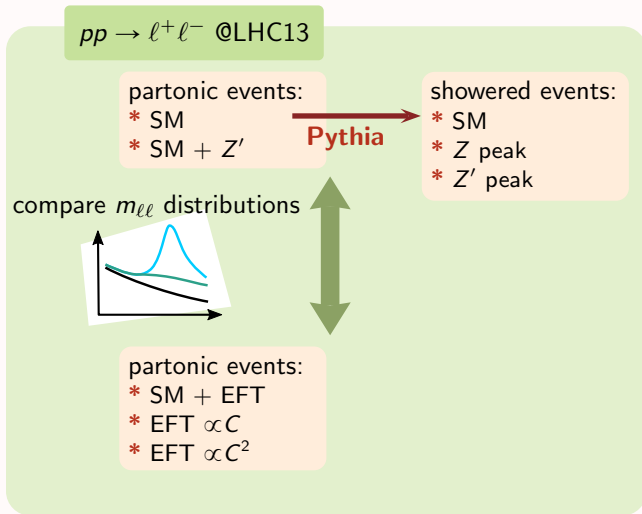


partonic events:

- * SM + EFT
- * EFT $\propto C$
- * EFT $\propto C^2$

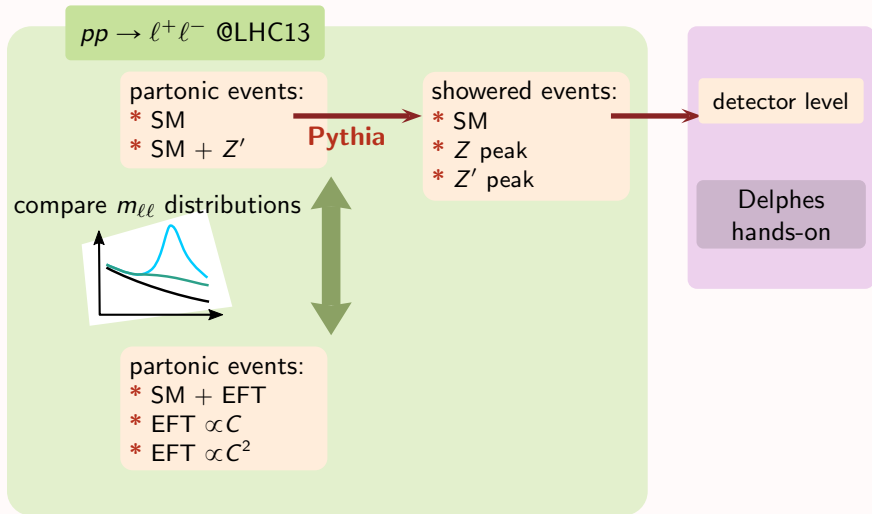
Physics project for these lectures

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UFO Hands-On

“A Mathematica package to calculate Feynman rules”

References

website `http://feynrules.irmp.ucl.ac.be/`

installation download tarball
untar on your laptop

manual PDF

model database `wiki/ModelDatabaseMainPage`

a python module containing all the model information

References

manual <http://arxiv.org/abs/arXiv:1108.2040>

particle numbering scheme <http://pdg.lbl.gov/current/mc-particle-id>

download the tarball file `UFO_HandsOn_material.tar`

What it contains:

- ▶ `PREFIT_HandsOn.nb`: the Mathematica notebook we will use today.
- ▶ `SM.fr`: the predefined SM FeynRules model.
(you should have it in your `feynrules-current` directory too)
- ▶ `Zprime.fr`, `Zprime_EFT.fr`, `SM_Zprime_UFO.tar`, `Zprime_EFT_UFO` are the **solutions** of today's class.
- ▶ `masslessFermions.rst` is a restriction file for the FeynRules models.

Z' model

SM + a neutral, massive vector boson.

$$\mathcal{L}_{Z'} = -\frac{1}{4}Z'_{\mu\nu}Z'^{\mu\nu} + \frac{M_{Z'}^2}{2}Z'_\mu Z'^\mu + Z'_\mu J^\mu$$

$$J^\mu = \kappa_q \bar{q}_L \gamma^\mu q_L + \kappa_u \bar{u}_R \gamma^\mu u_R + \kappa_d \bar{d}_R \gamma^\mu d_R + \kappa_l \bar{l}_L \gamma^\mu l_L + \kappa_e \bar{e}_R \gamma^\mu e_R$$

- ▶ we assume a $U(3)$ symmetry for each fermion field
- ▶ we choose $q_L = (u_L, Vd_L)$. convince yourself that FCNC are absent.

For $M_{Z'} > 2m_t$, the width of the Z' is

$$\Gamma_{Z'} = \frac{M_{Z'}}{24\pi} \sum_f N_C^f \left[(\kappa_{f_L}^2 + \kappa_{f_R}^2) \left(1 - \frac{m_f^2}{M_{Z'}^2} \right) + 6\kappa_{f_L} \kappa_{f_R} \frac{m_f^2}{M_{Z'}^2} \right] \sqrt{1 - \frac{4m_f^2}{M_{Z'}^2}}$$

where $f = u, c, t, d, s, b, e, \mu, \tau, \nu_e, \nu_\mu, \nu_\tau$ and N_C^f is a color factor.

Implementing the Z' model in FeynRules

Learn from `SM.fr` :

- ▶ gauge symmetries \rightarrow `M$GaugeGroups`
- ▶ particles \rightarrow `M$ClassesDescription`
- ▶ parameters \rightarrow `M$Parameters`
- ▶ Lagrangian

Write the information for Z' in `Zprime.fr`.

- ▶ define the model parameters: $M_{Z'}$, $\Gamma_{Z'}$, κ_q , κ_u , κ_d , κ_l , κ_e .
give κ_j interaction order `{ZPRIME,1}` and default value 0.
- ▶ define the Z' field – give it $M_{Z'} = 2\text{TeV}$ and $\Gamma_{Z'} = 47.7\text{GeV}$
(check the width matches the formula!)
–The PDG code is 32
- ▶ Write $\mathcal{L}_{Z'}$

Z' FeynRules model

Open the Mathematica notebook `PREFIT_HandsOn.nb`

- ▶ **fix the path** and import FeynRules
- ▶ import with: `LoadModel[SM.fr, Zprime.fr]`
- ▶ do some basic checks on the Lagrangian: hermiticity, mass spectrum, quantum numbers conservation.
- ▶ printout the Feynman rules.
- ▶ export LSM + LZprime to UFO with the name `SM_Zprime_UFO`.

Z' UFO model

Let's check out the product!

cd inside the SM_Zprime_UFO directory and look at the files

- ▶ `particles.py`
- ▶ `vertices.py`
- ▶ `lorentz.py`
- ▶ `couplings.py`
- ▶ `parameters.py`

Z' UFO model

open the shell in the SM_Zprime_UFO directory and run

```
python write_param_card.py
```

a file `param_card.dat` will be produced. open it and set the following values:

```
0.000000e+00 # cabi
0.000000e+00 # kq
0.200000e+00 # ku
0.200000e+00 # kd
0.000000e+00 # kl
0.600000e+00 # ke
0.000000e+00 # MD / MU / MS / MC / Me / MMU / MTA (7 lines)
0.000000e+00 # ymdo / ymup / yms / yms / yme / ymm / ymtau (7 lines)
2.000000e+03 # MZp
auto # WZp
```

save the file as `param_card_Zprime.dat`.

Integrating out the $Z' \rightarrow$ EFT

At $E \ll M_{Z'}$ the Z' decouples and the physics is described by an EFT

“Integrating out” the Z'

1. write the Z' Equation of Motion:

$$\partial^\mu Z'_{\mu\nu} = M_{Z'}^2 Z_\nu + J_\nu$$

2. solve expanding in $p^2/M_{Z'}^2 \ll 1$:

$$Z'_\mu = [(\square - M_{Z'}^2) g^{\mu\nu} - \partial^\mu \partial^\nu]^{-1} J_\nu = -\frac{J_\mu}{M_{Z'}^2} \left[1 + \mathcal{O}(p^2/M_{Z'}^2) \right]$$

3. replace the solution in $\mathcal{L}_{Z'}$:

$$\begin{aligned} \mathcal{L} &\rightarrow \frac{M_{Z'}^2}{2} \frac{1}{M_{Z'}^4} J_\mu J^\mu - \frac{1}{M_{Z'}^2} J_\mu J^\mu + \mathcal{O}(M_{Z'}^{-4}) = \\ &= -\frac{1}{2M_{Z'}^2} J_\mu J^\mu + \mathcal{O}(M_{Z'}^{-4}) \end{aligned}$$

Matching the EFT on the Warsaw basis

Replacing the expression for J_μ in $\mathcal{L}_6 = -\frac{1}{2M_{Z'}^2} J_\mu J^\mu$ we find $\mathcal{L}_6 = \sum C_{ij} \mathcal{O}_{ij}$ with $i, j = q, u, d, l, e$.

The operators generated are

$$\begin{aligned} \mathcal{O}_{ll} &= (\bar{l}\gamma_\mu l)(\bar{l}\gamma^\mu l) & \mathcal{O}_{qq}^{(1)} &= (\bar{q}\gamma_\mu q)(\bar{q}\gamma^\mu q) & \mathcal{O}_{ql}^{(1)} &= (\bar{q}\gamma_\mu q)(\bar{l}\gamma^\mu l) \\ \mathcal{O}_{uu} &= (\bar{u}\gamma_\mu u)(\bar{u}\gamma^\mu u) & \mathcal{O}_{dd} &= (\bar{d}\gamma_\mu d)(\bar{d}\gamma^\mu d) & \mathcal{O}_{ee} &= (\bar{e}\gamma_\mu e)(\bar{e}\gamma^\mu e) \\ \mathcal{O}_{qu}^{(1)} &= (\bar{q}\gamma_\mu q)(\bar{u}\gamma^\mu u) & \mathcal{O}_{qd}^{(1)} &= (\bar{q}\gamma_\mu q)(\bar{d}\gamma^\mu d) & \mathcal{O}_{qe} &= (\bar{q}\gamma_\mu q)(\bar{e}\gamma^\mu e) \\ \mathcal{O}_{lu} &= (\bar{l}\gamma_\mu l)(\bar{u}\gamma^\mu u) & \mathcal{O}_{ld} &= (\bar{l}\gamma_\mu l)(\bar{d}\gamma^\mu d) & \mathcal{O}_{le} &= (\bar{l}\gamma_\mu l)(\bar{e}\gamma^\mu e) \\ \mathcal{O}_{eu} &= (\bar{e}\gamma_\mu e)(\bar{u}\gamma^\mu u) & \mathcal{O}_{ed} &= (\bar{e}\gamma_\mu e)(\bar{d}\gamma^\mu d) & \mathcal{O}_{ud}^{(1)} &= (\bar{u}\gamma_\mu u)(\bar{d}\gamma^\mu d) \end{aligned}$$

with coefficients

$$C_{ij} = -\frac{2 - \delta_{ij}}{2M_{Z'}^2} \kappa_i \kappa_j$$

Implementing the EFT in FeynRules / UFO

Create a file `Zprime_EFT.fr` and implement the EFT.

- ▶ define the EFT coefficients and give them interaction order $\{\text{EFT}, 1\}$. set them to 0 by default.
- ▶ define the operators and the dimension-6 Lagrangian (needed for later: $\mathcal{O}_{eu}, \mathcal{O}_{ed}$)

Import the model in Mathematica (!! requires `Quit []` and re-load FeynRules).

- ▶ do some checks on the Lagrangian
- ▶ output the Feynman rules: which operator contributes to which interaction?
- ▶ export to UFO and call it `Zprime_EFT_UFO`.

Produce a `param_card.dat` in the UFO.

- ▶ set all the parameters to match those we fixed in the `Z'` model benchmark. What values should the Wilson coefficients take?
- ▶ save it as `param_card_EFT.dat`

MadGraph Hands-On

A parton level Monte Carlo generator, up to NLO QCD

website <https://launchpad.net/mg5amcnlo>

on-line guide [wiki/ManualAndHelp](https://launchpad.net/mg5amcnlo/wiki/ManualAndHelp)

forum <https://answers.launchpad.net/mg5amcnlo>

MadAnalysis: analysis framework embedded in MadGraph

<https://madanalysis.irmp.ucl.ac.be/>

LHE format: standard format for event files

<https://arxiv.org/pdf/hep-ph/0609017.pdf>

Set up the Virtual Machine

open VirtualBox and start the VirtualMachine Delphes2020.vdi

- ▶ go in the directory `MG5_aMC_v2_7_0/models/`
- ▶ here, download the UFOs we produced yesterday.
You can upload your own to a server (dropbox) and download it here.

Alternatively, use the solutions:

```
wget https://www.dropbox.com/s/51d9j1tnje8583o/SM_Zprime_UFO.tar  
wget https://www.dropbox.com/s/4owbj8k5wk97s2m/Zprime_EFT_UFO.tar
```

- ▶ go back to the home and create a working directory. `cd here.`

in the working directory:

download the tarball file `MG_HandsOn_material.tar`

```
wget https://twiki.cern.ch/twiki/pub/VBSCan/PREFIT20/MG_HandsOn_material.tar
```

What it contains:

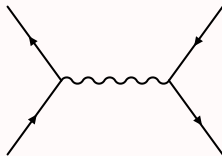
- ▶ `param_card_Zprime.dat`, `param_card_EFT.dat` are the same cards produced yesterday.
- ▶ `run_card.dat`, `madanalysis5_parton_card.dat` contain additional settings for the runs.
- ▶ `lhe_analyzer.py`, `plot_histos.py` are python scripts needed to analyze the events generated and make a plot.

The process: $pp \rightarrow l^+l^-$

We are interested in the m_{ll} spectrum at $E \simeq M_{Z'} = 2 \text{ TeV}$

in the Z' model

we expect to see a resonance with the width computed yesterday



in the EFT

$$|\mathcal{A}_{SM} + \mathcal{A}_6|^2 = |\mathcal{A}_{SM}|^2 + 2 \text{Re} \mathcal{A}_{SM} \mathcal{A}_6^\dagger + |\mathcal{A}_6|^2$$

SM \nearrow interference $\propto C_i \sim M_{Z'}^{-2}$ \nwarrow quadratic $\propto C_i C_j \sim M_{Z'}^{-4}$

at $m_{ll} \ll M_{Z'}$ the EFT should reproduce the resonance tail

as $m_{ll} \rightarrow M_{Z'}$ the expansion breaks down \rightarrow the resonance is not reproduced!

Generate $pp \rightarrow l^+l^-$ diagrams in Z' model

open MadGraph with

```
../MG5_aMC_v2_7_0/bin/mg5_aMC
```

now do:

```
import model SM_Zprime_UFO
generate p p > l+ l- ZPRIME=0
output pp_ll_SM

generate p p > l+ l- ZPRIME=2
output pp_ll_SM_Zp

quit
```

now open `pp_ll_SM_Zp/index.html`.

Check the diagrams that have been included.

Generate $pp \rightarrow l^+l^-$ events in Z' model

Let us first look at the `run_card.dat` and `madanalysis5_parton_card.dat` from the material. What do these fix?

copy the 3 cards into the generated process folder.

Change the parameter card name into `param_card.dat`!

```
cp param_card_Zprime.dat WORKINGDIR/pp_1l_SM_Zp/Cards/ param_card.dat
cp run_card.dat WORKINGDIR/pp_1l_SM_Zp/Cards/
cp madanalysis5_parton_card.dat WORKINGDIR/pp_1l_SM_Zp/Cards/
```

and the same with `pp_1l_SM_Zp` \rightarrow `pp_1l_SM`

Generate $pp \rightarrow l^+l^-$ events in Z' model

go into the working directory and run

```
./pp_11_SM_Zp/bin/generate_events
```

make sure the screen gives analysis = MadAnalysis5 and the rest all OFF or Not Avail. Confirm all questions.

When finished, a Firefox window automatically opens (ignore the errors in the shell!)

- ▶ Click on MA5_report_analysis1 to see first plots you produced!
- ▶ Go back to the shell and do

```
gunzip pp_11_SM_Zp/Events/run_01/unweighted_events.lhe.gz
```

open the .lhe file with Firefox and let's look at it!

- ▶ open the param_card inside the process folder. Is it the same we copied in?

repeat the event generation for `pp_11_SM`

Generate $pp \rightarrow l^+l^-$ diagrams in the EFT

In MadGraph:

```
import model Zprime_EFT_UFO
generate p p > l+ l- EFT=1
output pp_ll_EFT_all

generate p p > l+ l- EFT=1 EFT^2==1
output pp_ll_EFT_int

generate p p > l+ l- EFT=1 EFT^2==2
output pp_ll_EFT_sq

quit
```

now open `pp_ll_EFT_all/index.html`.

Check the diagrams that have been included.

do the same with `pp_ll_EFT_sq/index.html`.

Any difference? Why?

Generate $pp \rightarrow l^+l^-$ events in the EFT

copy the 3 cards into the generated process folder. Remember to use the **EFT** parameter card, and to change its name into `param_card.dat`!

```
cp param_card_EFT.dat WORKINGDIR/pp_1l_EFT_all/Cards/ param_card.dat
cp run_card.dat WORKINGDIR/pp_1l_EFT_all/Cards/
cp madanalysis5_parton_card.dat WORKINGDIR/pp_1l_EFT_all/Cards/
```

go into the working directory and run

```
./pp_1l_EFT_all/bin/generate_events
```

make sure the screen gives `analysis = MadAnalysis5` and the rest all OFF or Not Avail. Confirm all questions.

repeat everything for `pp_1l_EFT_int` and `pp_1l_EFT_sq`

gunzip the events for all 3 processes.

Analyze events and plot the m_{ll} distribution

Use the two python scripts in the materials folder:

- ▶ `lhe_analyzer.py` takes an `.lhe` file, creates a ROOT histogram of the dilepton invariant mass, fills it and stores it in a `.root` output file.

Place it in the working directory and run it on each sample:

```
python lhe_analyzer.py pp_1l_SM/Events/run_01/unweighted_events.lhe events_SM.root
python lhe_analyzer.py pp_1l_SM_Zp/Events/run_01/unweighted_events.lhe events_Zp.root
python lhe_analyzer.py pp_1l_EFT_all/Events/run_01/unweighted_events.lhe events_EFT_all.root
python lhe_analyzer.py pp_1l_EFT_int/Events/run_01/unweighted_events.lhe events_EFT_int.root
python lhe_analyzer.py pp_1l_EFT_sq/Events/run_01/unweighted_events.lhe events_EFT_sq.root
```

- ▶ open `plot_histos.py` and fix the main directory path to match your working directory. also adjust the root file names if you have different ones. then make the plot with:

```
python plot_histos.py
```

the output will be stored in `plot_1l_mass.pdf`.

Let's look at it!

a library of hard processes, models for initial- and final-state parton showers, matching and merging methods between hard processes and parton showers, multiparton interactions, beam remnants, string fragmentation and particle decays.

References

website `http://home.thep.lu.se/~torbjorn/Pythia.html`

on-line guide `pythia82html/Welcome.html`

manual `pdfdoc/pythia8200.pdf`

Shower Z' and SM dilepton events

We will produce 4 showered samples to be used in the Delphes session:

1. repeat the event generation in `pp_1l_SM_Zp` with

```
./pp_1l_SM_Zp/bin/generate_events
```

- ▶ when prompted the first options screen, hit `1` to switch on `Pythia8` as shower
- ▶ when prompted with the second options ("do you want to edit a card?") write

```
set nevents 30000
```

- ▶ then hit `3` to open the `pythia8_card`.

go to the bottom and `remove the !` from `!partonlevel:mpi = off`

Open the Madanalysis report for the `run_02` events.

Compare them with `run_01`. Is the effect of the parton shower visible?

2. Do the same with `pp_1l_SM`

Showered dilepton samples

3. in `pp_ll_SM/Cards`, modify the `run_card.dat` changing:

```
40.0 = mml1  
120.0 = mml1max
```

and the `madanalysis5_parton_card.dat` changing the plot lines into

```
plot M(1+[1] 1-[1]) 20 40 120 [logY]  
plot M(1+[1] 1-[1]) 20 70 110 [logY]  
plot M(1+[1] 1-[1]) 20 40 120  
plot M(1+[1] 1-[1]) 20 70 110
```

generate events switching on `Pythia8` and giving `set nevents 30000`

Showered dilepton samples

4. in Madgraph load the SM_Zprime_UFO and generate dilepton without the SM background:

```
generate p p > l+ l- ZPRIME==2  
output pp_ll_Zp
```

- ▶ copy the benchmark param_card, run_card and madanalysis5_parton_card to pp_ll_Zp/Cards and generate events.
- ▶ generate events switching on `Pythia8` and giving `set nevents 30000`

Backup slides

X^3		φ^6 and $\varphi^4 D^2$		$\psi^2 \varphi^3$	
Q_G	$f^{ABC} G_{\mu}^{A\nu} G_{\nu}^{B\rho} G_{\rho}^{C\mu}$	Q_{φ}	$(\varphi^{\dagger} \varphi)^3$	$Q_{e\varphi}$	$(\varphi^{\dagger} \varphi)(\bar{l}_p e_r \varphi)$
$Q_{\tilde{G}}$	$f^{ABC} \tilde{G}_{\mu}^{A\nu} G_{\nu}^{B\rho} G_{\rho}^{C\mu}$	$Q_{\varphi \square}$	$(\varphi^{\dagger} \varphi) \square (\varphi^{\dagger} \varphi)$	$Q_{u\varphi}$	$(\varphi^{\dagger} \varphi)(\bar{q}_p u_r \tilde{\varphi})$
Q_W	$\varepsilon^{IJK} W_{\mu}^{I\nu} W_{\nu}^{J\rho} W_{\rho}^{K\mu}$	$Q_{\varphi D}$	$(\varphi^{\dagger} D^{\mu} \varphi)^{\star} (\varphi^{\dagger} D_{\mu} \varphi)$	$Q_{d\varphi}$	$(\varphi^{\dagger} \varphi)(\bar{q}_p d_r \varphi)$
$Q_{\tilde{W}}$	$\varepsilon^{IJK} \tilde{W}_{\mu}^{I\nu} W_{\nu}^{J\rho} W_{\rho}^{K\mu}$				
$X^2 \varphi^2$		$\psi^2 X \varphi$		$\psi^2 \varphi^2 D$	
$Q_{\varphi G}$	$\varphi^{\dagger} \varphi G_{\mu\nu}^A G^{A\mu\nu}$	Q_{eW}	$(\bar{l}_p \sigma^{\mu\nu} e_r) \tau^I \varphi W_{\mu\nu}^I$	$Q_{\varphi l}^{(1)}$	$(\varphi^{\dagger} i \overleftrightarrow{D}_{\mu} \varphi)(\bar{l}_p \gamma^{\mu} l_r)$
$Q_{\varphi \tilde{G}}$	$\varphi^{\dagger} \varphi \tilde{G}_{\mu\nu}^A G^{A\mu\nu}$	Q_{eB}	$(\bar{l}_p \sigma^{\mu\nu} e_r) \varphi B_{\mu\nu}$	$Q_{\varphi l}^{(3)}$	$(\varphi^{\dagger} i \overleftrightarrow{D}_{\mu}^I \varphi)(\bar{l}_p \tau^I \gamma^{\mu} l_r)$
$Q_{\varphi W}$	$\varphi^{\dagger} \varphi W_{\mu\nu}^I W^{I\mu\nu}$	Q_{uG}	$(\bar{q}_p \sigma^{\mu\nu} T^A u_r) \tilde{\varphi} G_{\mu\nu}^A$	$Q_{\varphi e}$	$(\varphi^{\dagger} i \overleftrightarrow{D}_{\mu} \varphi)(\bar{e}_p \gamma^{\mu} e_r)$
$Q_{\varphi \tilde{W}}$	$\varphi^{\dagger} \varphi \tilde{W}_{\mu\nu}^I W^{I\mu\nu}$	Q_{uW}	$(\bar{q}_p \sigma^{\mu\nu} u_r) \tau^I \tilde{\varphi} W_{\mu\nu}^I$	$Q_{\varphi q}^{(1)}$	$(\varphi^{\dagger} i \overleftrightarrow{D}_{\mu} \varphi)(\bar{q}_p \gamma^{\mu} q_r)$
$Q_{\varphi B}$	$\varphi^{\dagger} \varphi B_{\mu\nu} B^{\mu\nu}$	Q_{uB}	$(\bar{q}_p \sigma^{\mu\nu} u_r) \tilde{\varphi} B_{\mu\nu}$	$Q_{\varphi q}^{(3)}$	$(\varphi^{\dagger} i \overleftrightarrow{D}_{\mu}^I \varphi)(\bar{q}_p \tau^I \gamma^{\mu} q_r)$
$Q_{\varphi \tilde{B}}$	$\varphi^{\dagger} \varphi \tilde{B}_{\mu\nu} B^{\mu\nu}$	Q_{dG}	$(\bar{q}_p \sigma^{\mu\nu} T^A d_r) \varphi G_{\mu\nu}^A$	$Q_{\varphi u}$	$(\varphi^{\dagger} i \overleftrightarrow{D}_{\mu} \varphi)(\bar{u}_p \gamma^{\mu} u_r)$
$Q_{\varphi WB}$	$\varphi^{\dagger} \tau^I \varphi W_{\mu\nu}^I B^{\mu\nu}$	Q_{dW}	$(\bar{q}_p \sigma^{\mu\nu} d_r) \tau^I \varphi W_{\mu\nu}^I$	$Q_{\varphi d}$	$(\varphi^{\dagger} i \overleftrightarrow{D}_{\mu} \varphi)(\bar{d}_p \gamma^{\mu} d_r)$
$Q_{\varphi \tilde{W}B}$	$\varphi^{\dagger} \tau^I \varphi \tilde{W}_{\mu\nu}^I B^{\mu\nu}$	Q_{dB}	$(\bar{q}_p \sigma^{\mu\nu} d_r) \varphi B_{\mu\nu}$	$Q_{\varphi ud}$	$i(\tilde{\varphi}^{\dagger} D_{\mu} \varphi)(\bar{u}_p \gamma^{\mu} d_r)$

$(\bar{L}L)(\bar{L}L)$		$(\bar{R}R)(\bar{R}R)$		$(\bar{L}L)(\bar{R}R)$	
Q_{ll}	$(\bar{l}_p \gamma_\mu l_r)(\bar{l}_s \gamma^\mu l_t)$	Q_{ee}	$(\bar{e}_p \gamma_\mu e_r)(\bar{e}_s \gamma^\mu e_t)$	Q_{le}	$(\bar{l}_p \gamma_\mu l_r)(\bar{e}_s \gamma^\mu e_t)$
$Q_{qq}^{(1)}$	$(\bar{q}_p \gamma_\mu q_r)(\bar{q}_s \gamma^\mu q_t)$	Q_{uu}	$(\bar{u}_p \gamma_\mu u_r)(\bar{u}_s \gamma^\mu u_t)$	Q_{lu}	$(\bar{l}_p \gamma_\mu l_r)(\bar{u}_s \gamma^\mu u_t)$
$Q_{qq}^{(3)}$	$(\bar{q}_p \gamma_\mu \tau^I q_r)(\bar{q}_s \gamma^\mu \tau^I q_t)$	Q_{dd}	$(\bar{d}_p \gamma_\mu d_r)(\bar{d}_s \gamma^\mu d_t)$	Q_{ld}	$(\bar{l}_p \gamma_\mu l_r)(\bar{d}_s \gamma^\mu d_t)$
$Q_{lq}^{(1)}$	$(\bar{l}_p \gamma_\mu l_r)(\bar{q}_s \gamma^\mu q_t)$	Q_{eu}	$(\bar{e}_p \gamma_\mu e_r)(\bar{u}_s \gamma^\mu u_t)$	Q_{qe}	$(\bar{q}_p \gamma_\mu q_r)(\bar{e}_s \gamma^\mu e_t)$
$Q_{lq}^{(3)}$	$(\bar{l}_p \gamma_\mu \tau^I l_r)(\bar{q}_s \gamma^\mu \tau^I q_t)$	Q_{ed}	$(\bar{e}_p \gamma_\mu e_r)(\bar{d}_s \gamma^\mu d_t)$	$Q_{qu}^{(1)}$	$(\bar{q}_p \gamma_\mu q_r)(\bar{u}_s \gamma^\mu u_t)$
		$Q_{ud}^{(1)}$	$(\bar{u}_p \gamma_\mu u_r)(\bar{d}_s \gamma^\mu d_t)$	$Q_{qu}^{(8)}$	$(\bar{q}_p \gamma_\mu T^A q_r)(\bar{u}_s \gamma^\mu T^A u_t)$
		$Q_{ud}^{(8)}$	$(\bar{u}_p \gamma_\mu T^A u_r)(\bar{d}_s \gamma^\mu T^A d_t)$	$Q_{qd}^{(1)}$	$(\bar{q}_p \gamma_\mu q_r)(\bar{d}_s \gamma^\mu d_t)$
				$Q_{qd}^{(8)}$	$(\bar{q}_p \gamma_\mu T^A q_r)(\bar{d}_s \gamma^\mu T^A d_t)$
$(\bar{L}R)(\bar{R}L)$ and $(\bar{L}R)(\bar{L}R)$		B -violating			
Q_{ledq}	$(\bar{l}_p^j e_r)(\bar{d}_s^j q_t^j)$	Q_{duq}	$\varepsilon^{\alpha\beta\gamma} \varepsilon_{jk} [(d_p^\alpha)^T C u_r^\beta] [(q_r^j)^T C l_t^k]$		
$Q_{quqd}^{(1)}$	$(\bar{q}_p^j u_r) \varepsilon_{jk} (\bar{q}_s^k d_t)$	Q_{qqq}	$\varepsilon^{\alpha\beta\gamma} \varepsilon_{jk} [(q_p^{\alpha j})^T C q_r^{\beta k}] [(u_s^\gamma)^T C e_t]$		
$Q_{quqd}^{(8)}$	$(\bar{q}_p^j T^A u_r) \varepsilon_{jk} (\bar{q}_s^k T^A d_t)$	Q_{qqq}	$\varepsilon^{\alpha\beta\gamma} \varepsilon_{jk} \varepsilon_{mnn} [(q_p^{\alpha j})^T C q_r^{\beta k}] [(q_s^m)^T C l_t^n]$		
$Q_{lequ}^{(1)}$	$(\bar{l}_p^j e_r) \varepsilon_{jk} (\bar{q}_s^k u_t)$	Q_{duu}	$\varepsilon^{\alpha\beta\gamma} [(d_p^\alpha)^T C u_r^\beta] [(u_s^\gamma)^T C e_t]$		
$Q_{lequ}^{(3)}$	$(\bar{l}_p^j \sigma_{\mu\nu} e_r) \varepsilon_{jk} (\bar{q}_s^k \sigma^{\mu\nu} u_t)$				